



Asymmetry of Jet k_T in Longitudinal Polarized p+p Collisions in PHENIX at RHIC

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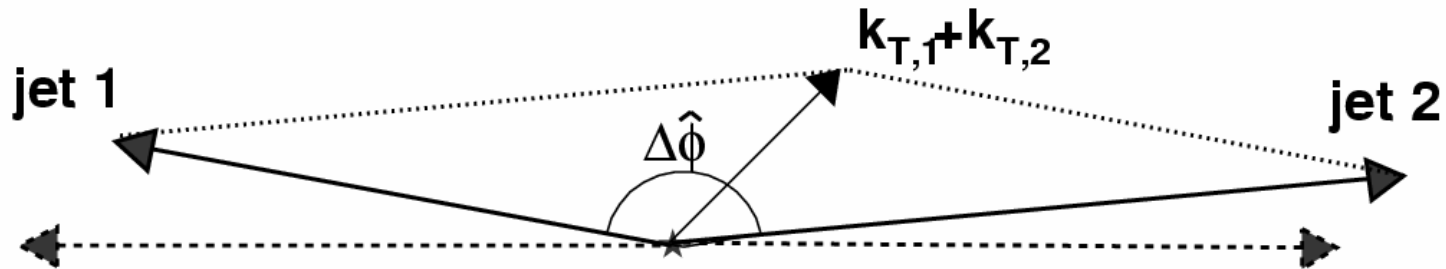
For the PHENIX collaboration

University of New Mexico

Outline

- Measuring transverse momentum of partons in the proton
- Looking for a correlation of this measurement with spin direction
- Initial measurements in Run03
- Status of Run05
- Summary

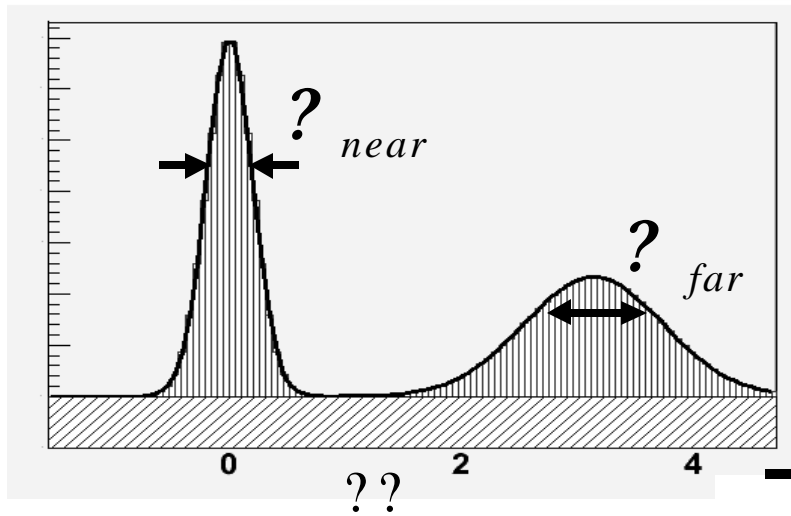
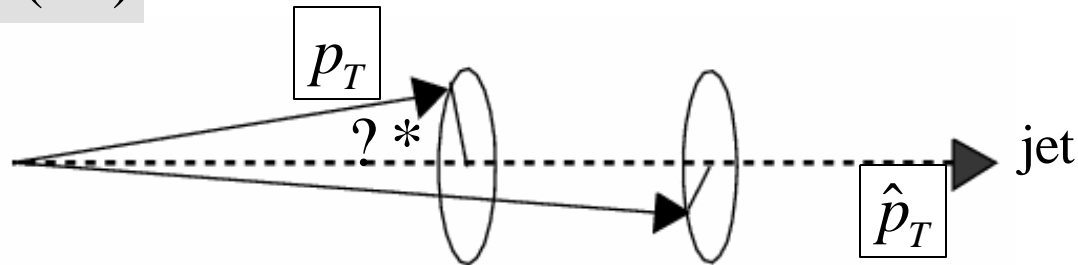
k_T, j_T from azimuthal correl.



$$j_T \sim \hat{p}_T \sin(\theta^*)$$

fragmentation

$$z \sim \frac{p_T \cos(\theta^*)}{\hat{p}_T}$$



$$j_T \sim \theta^* \theta_N$$

jet fragmentation transverse momentum, j_T -scaling.

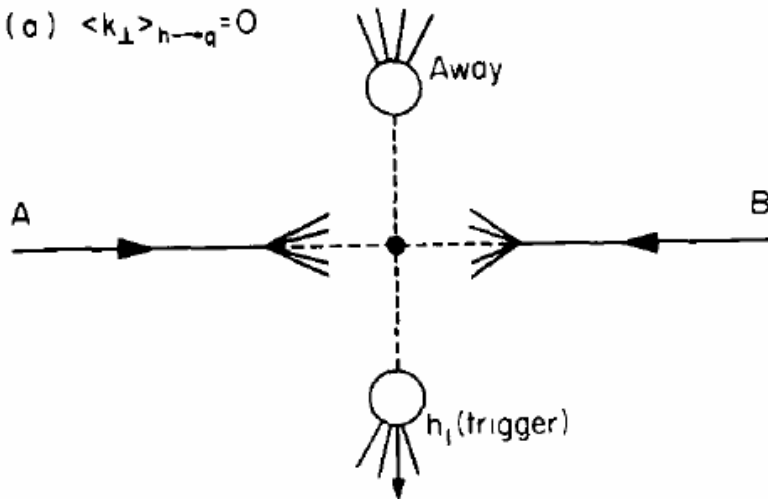
$$k_T \sim \theta^2_F - \theta^2_N$$

parton transverse momentum, intrinsic + NLO radiative corrections.

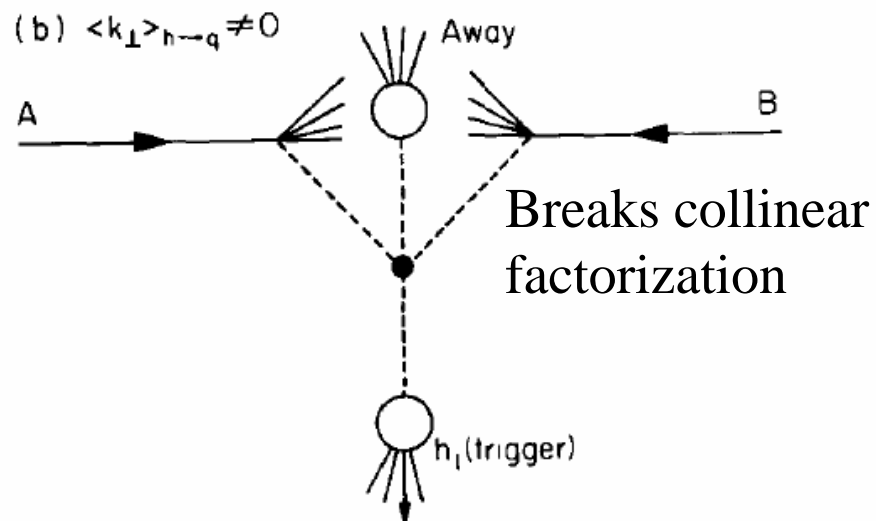
Origin of k_T

$$\frac{1}{2} \langle p_T^2 \rangle_{pair} \quad ? \quad \langle k_T^2 \rangle \quad ? \quad \langle k_T^2 \rangle_{intrinsic} \quad ? \quad \langle k_T^2 \rangle_{soft} \quad ? \quad \langle k_T^2 \rangle_{NL} \quad O$$

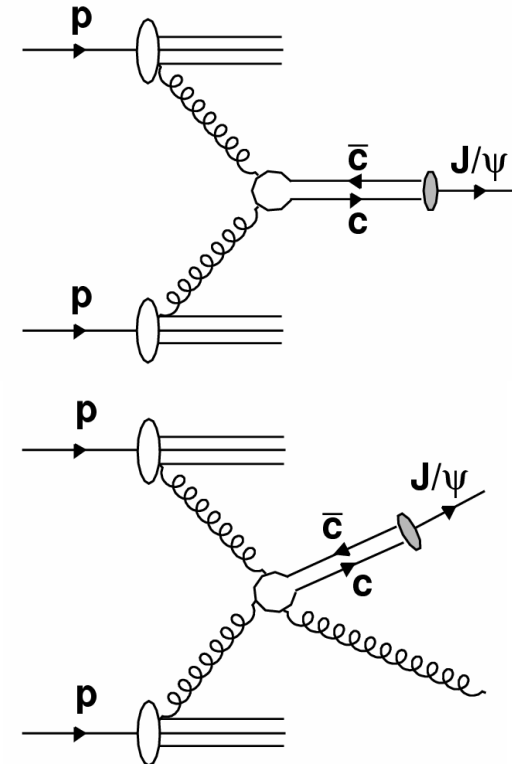
(a) $\langle k_{\perp} \rangle_{h \rightarrow q} = 0$



(b) $\langle k_{\perp} \rangle_{h \rightarrow q} \neq 0$



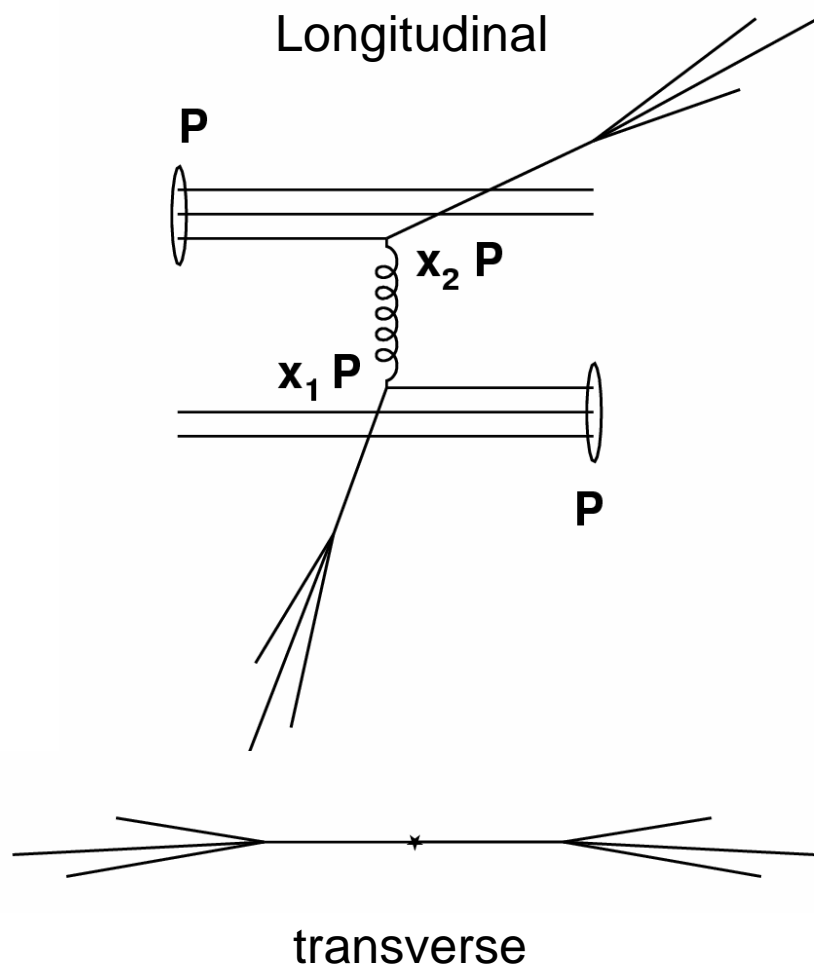
An example - J/ψ production.



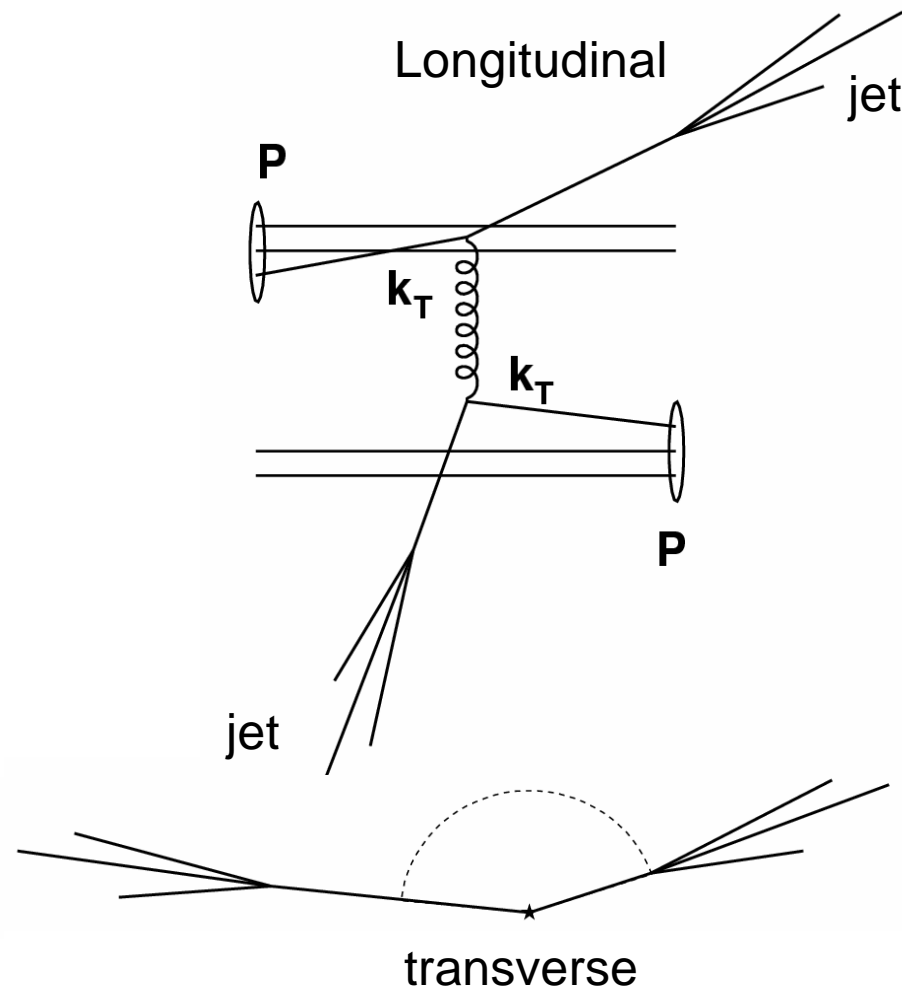
$$\langle p_{T,J/\psi} \rangle = 1.8 \pm 0.23 \pm 0.16 \text{ GeV}/c$$

Phys. Rev. Lett. 92, 051802,
(2004).

Hard Scattering k_T



- acoplanar in P_L ? P_T space
- collinear in P_X ? P_Y space

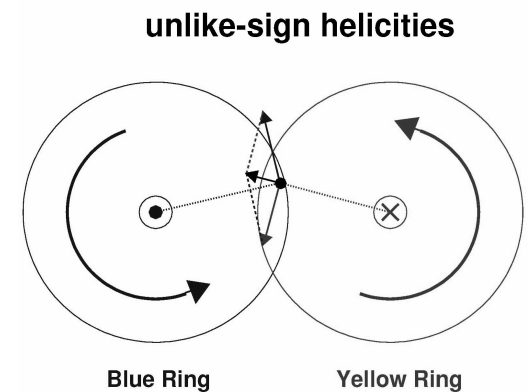
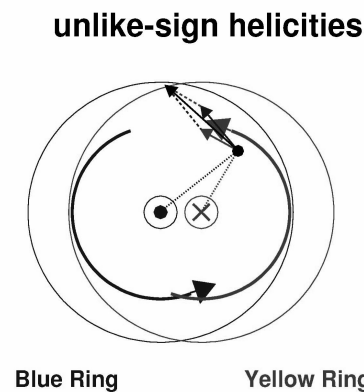
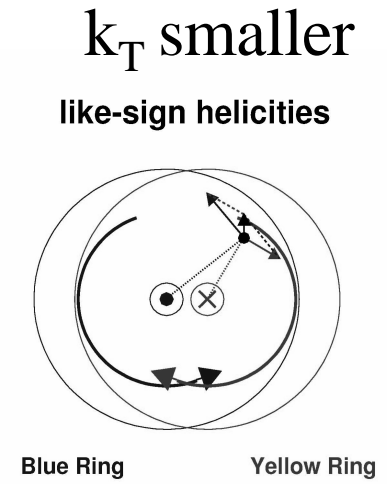
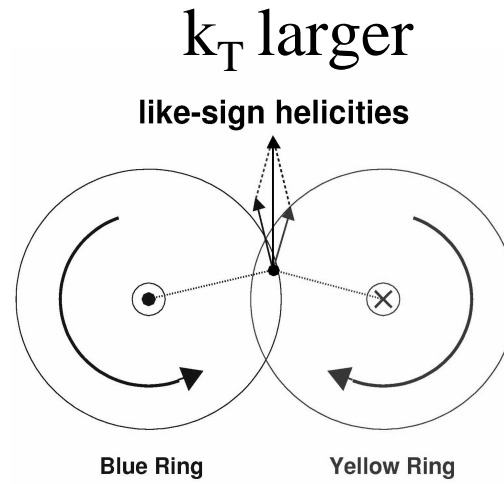


- acoplanar in P_L ? P_T space
- acoplanar in P_X ? P_Y space

k_T from Orbital Motion

One can consider the possibility that spin-correlated transverse momentum (orbital angular momentum) may contribute to jet k_T .

e.g., Meng Ta-chung et al.,
Phys. Rev. D 40 (1989)

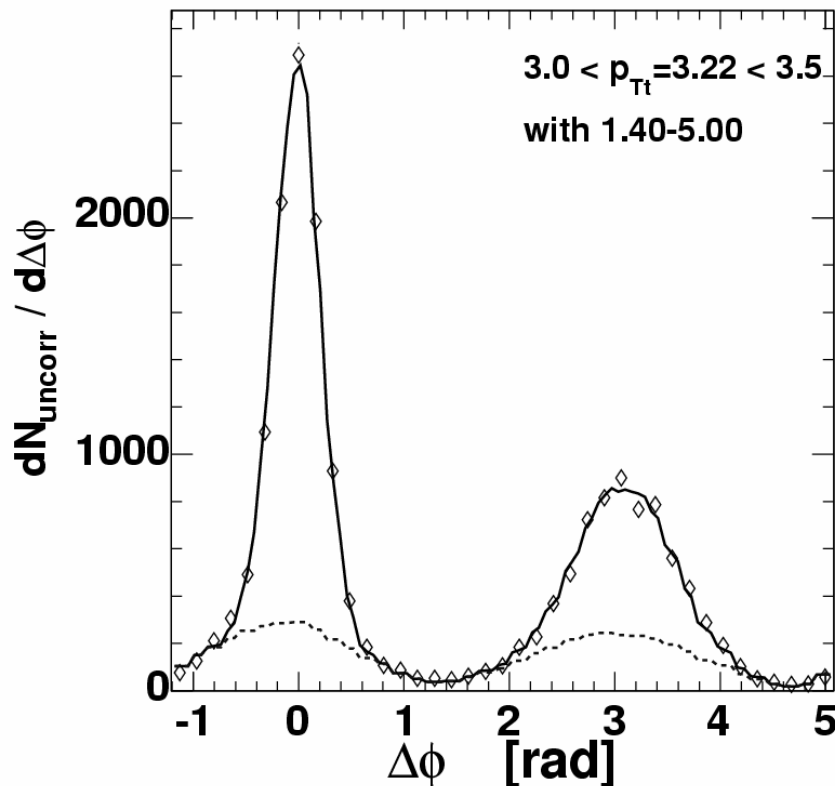


Azimuthal correlation function

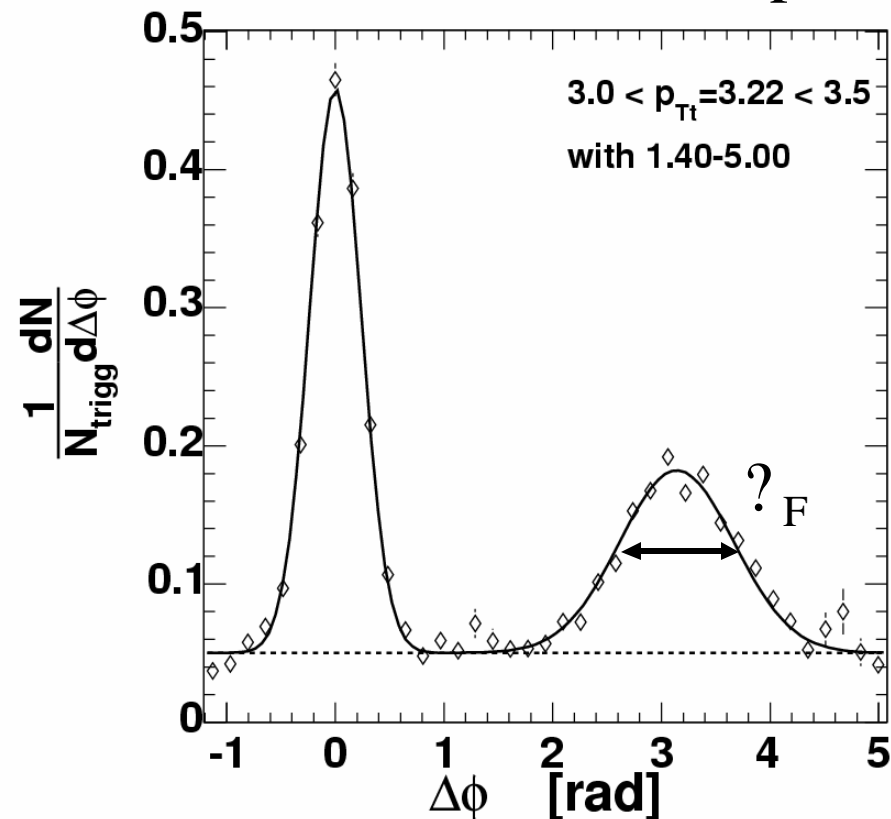
$$C_{ij}(\Delta\phi) = \frac{1}{N_{trigg}} \frac{dN_{ij}^{real}}{d\Delta\phi} / \frac{dN_{ij}^{mixed}}{d\Delta\phi}$$

ϕ - h correlation functions

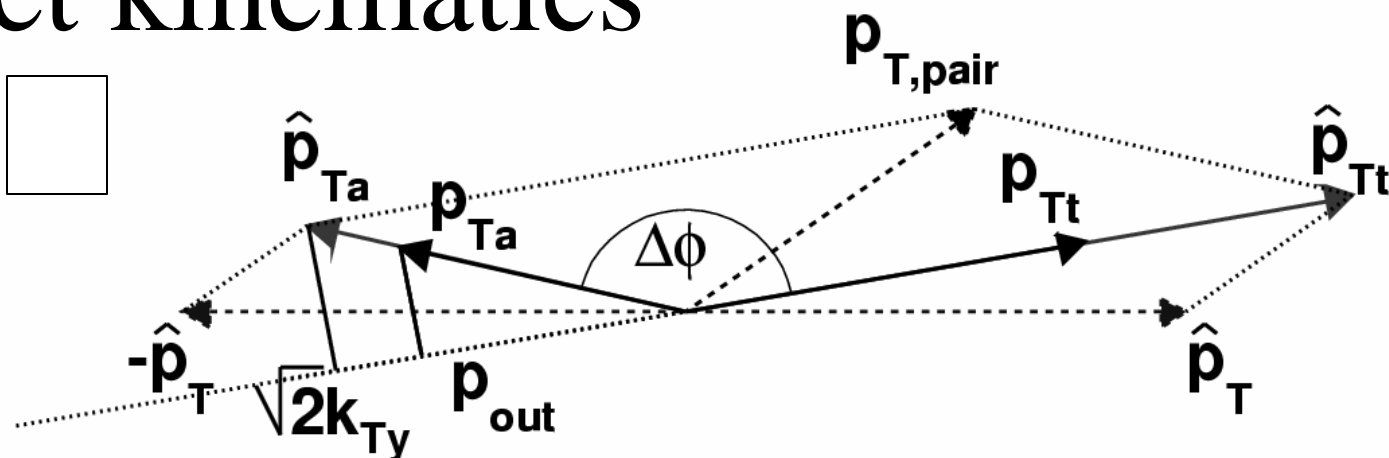
Not corrected for acceptance



Corrected for acceptance

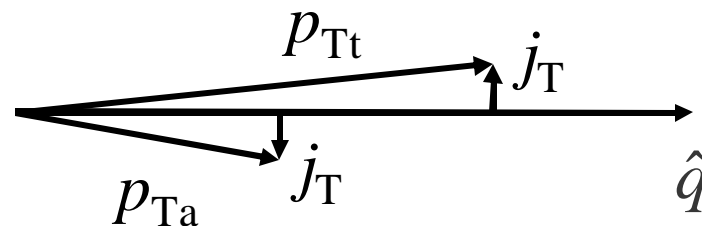


PH Jet kinematics



$$p_{out}^2 = p_{Ta}^2 \sin^2 \Delta\phi + 2 k_{Ty}^2 z_a^2 + 2 k_{Ty}^2 z_t^2 x_h^2 \quad x_h = p_{Ta}/p_{Tt}$$

$$\sqrt{\langle j_T^2 \rangle} = \sqrt{2} \frac{p_{Tt} p_{Ta}}{\sqrt{p_{Tt}^2 + p_{Ta}^2}} N$$



$$\hat{x}_h^{?1} \langle z_t \rangle \sqrt{\langle k_T^2 \rangle} = x_h^{?1} \sqrt{\langle p_{out}^2 \rangle + \langle j_{Ty}^2 \rangle (1 - x_h^2)}$$

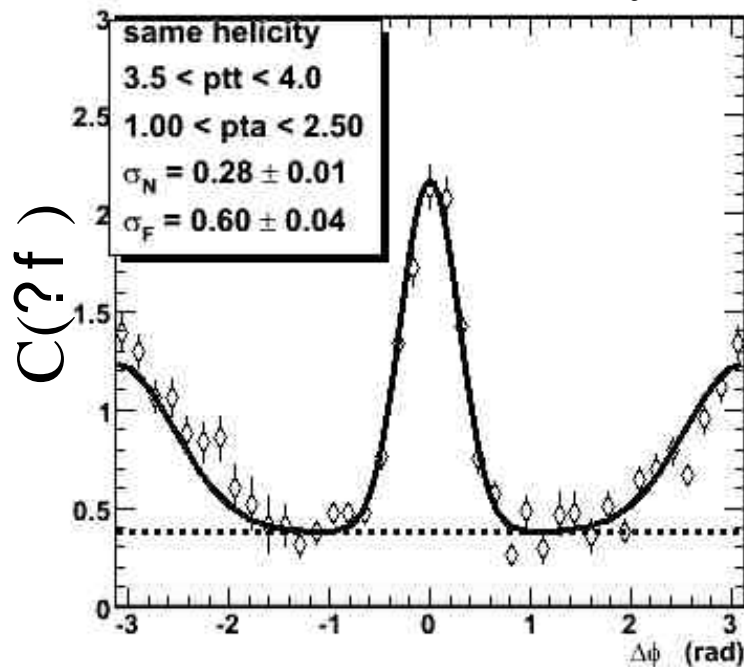
$$\text{partonic } \hat{x}_h = \frac{\langle \hat{p}_{Ta} \rangle}{\langle \hat{p}_{Tt} \rangle}$$

$$\text{hadronic } x_h = \frac{p_{Ta}}{p_{Tt}}$$

Spin Sorted Analysis

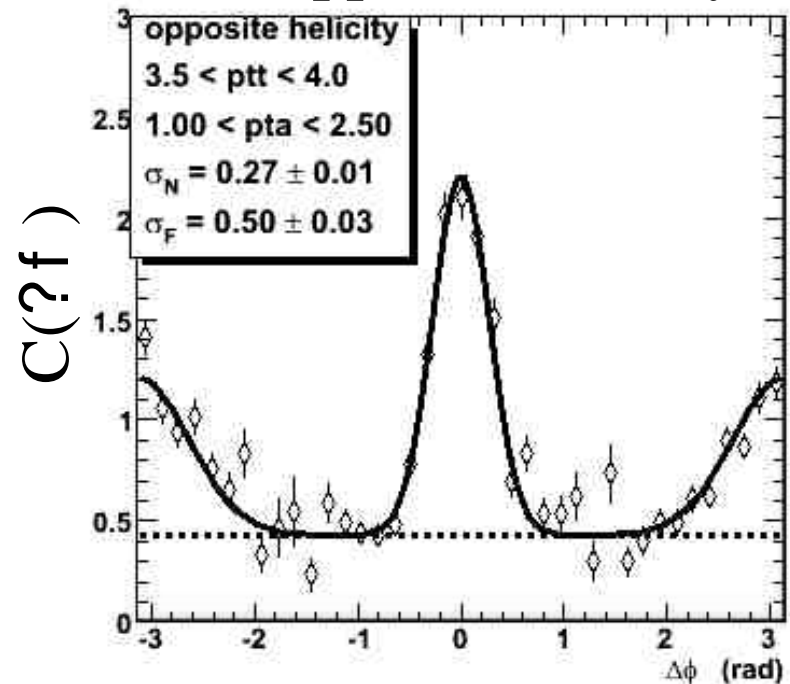
- Do exactly the same analysis sorted on same and opposite helicity bunch crossings, extract $\langle zkt \rangle_{\text{RMS}}$ and look at the difference.

Same Helicity



?f

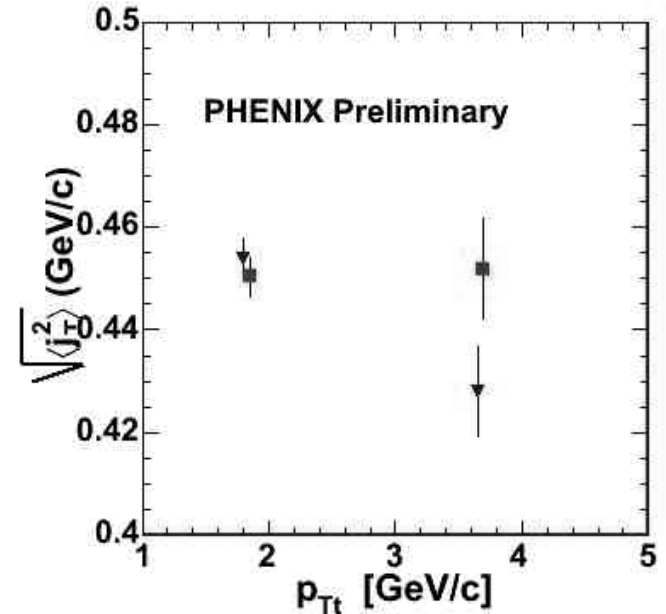
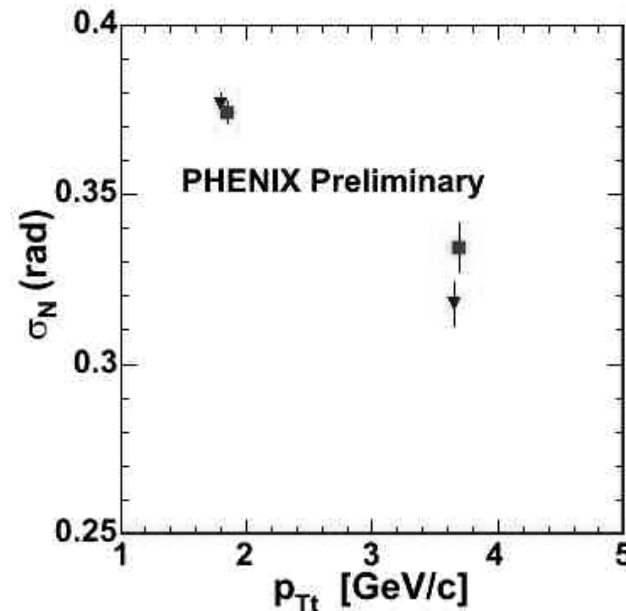
Opposite Helicity



?f

Like sign

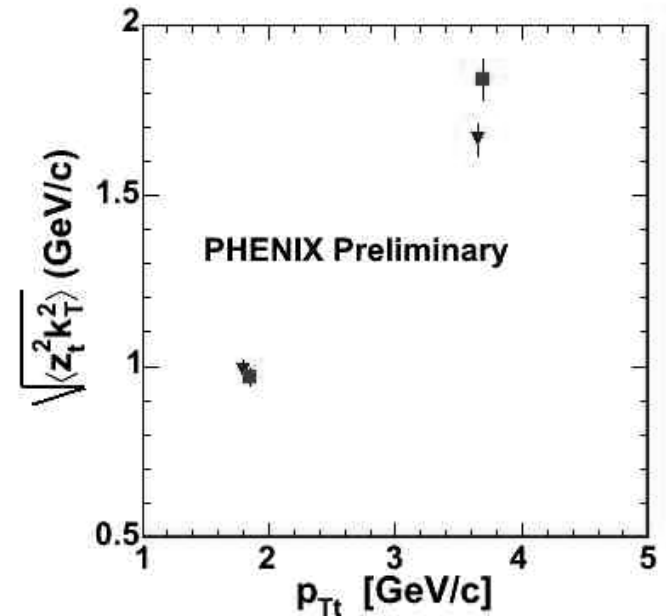
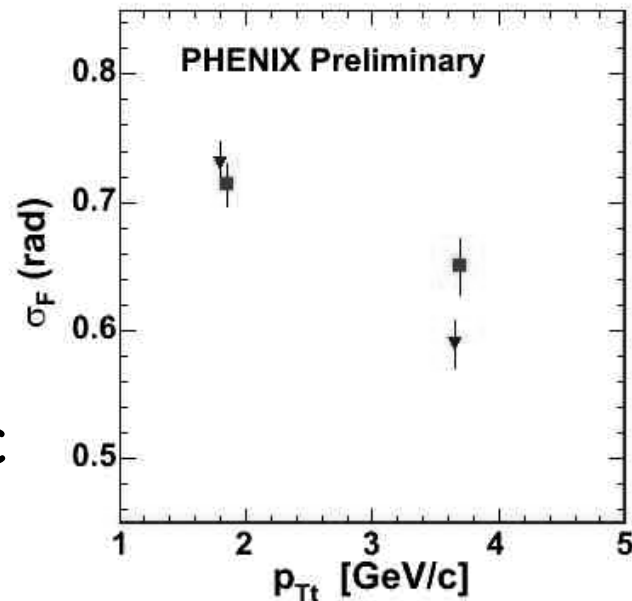
Unlike sign



trigger p^0

$1 < p_{Tt} < 3$ GeV/c

$3 < p_{Tt} < 7$ GeV/c

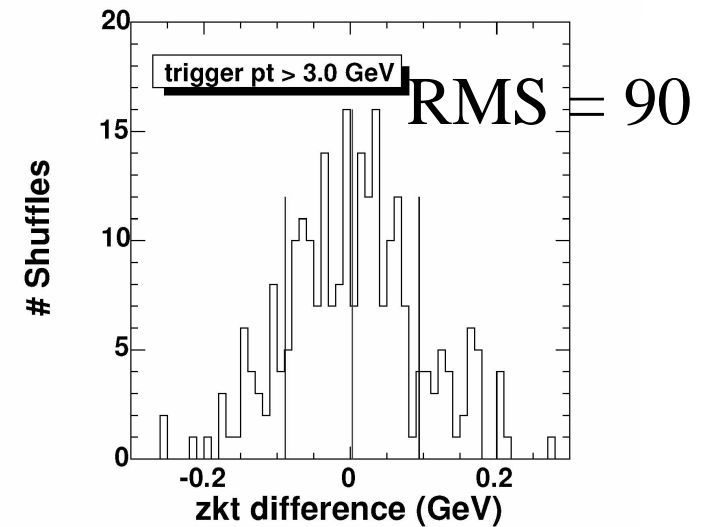
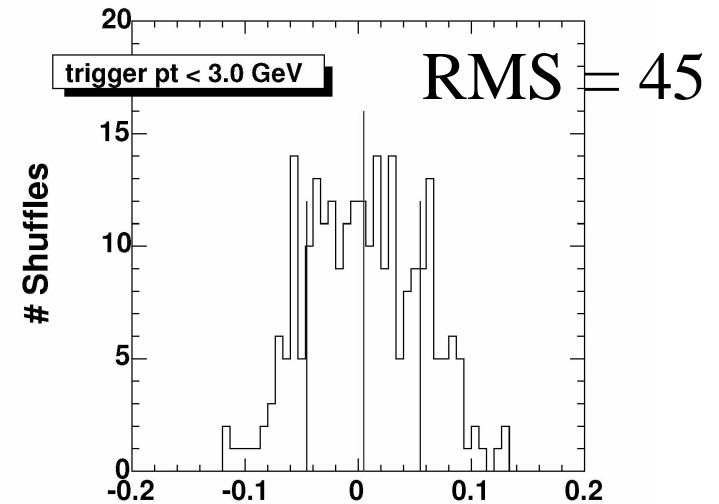


Associated $h^?$

$1 < p_{Ta} < 2.5$ GeV/c

Systematic Check

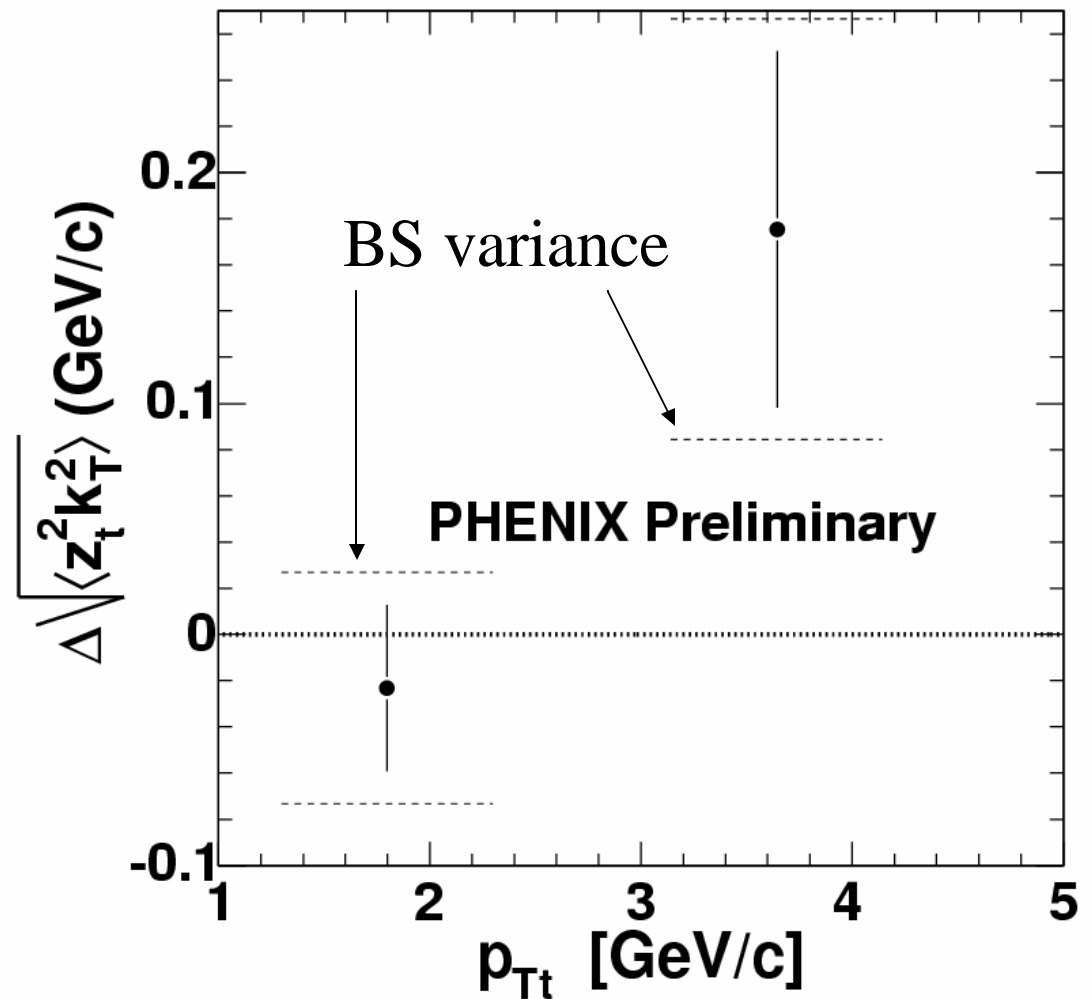
- Helicity assignments are randomized, and then the k_T difference calculated for each randomized set.
- The width of the distribution for all the randomized sets should be the same as our statistical errors on the previous plot.



Run03 Data

Its too early to make a definite statement about the apparent excess as the systematic uncertainties are being evaluated.

However, there is an ongoing analysis of 10x more stat. and 2x better polarization in run05 ✍ should yield a definite answer.



Summary

- We have an analysis tool that allows us to measure k_T - initial state transverse momentum of partons.
- We are studying this effect in longitudinal spin-sorted collisions to see if there is a spin-dependent coherent component of k_T .
- Is there a connection to parton OAM?
Theoretical guidance needed!

Outlook

- Run05 has $\sim \times 10$ statistics, so that the uncertainty reduced by factor 2-3.
- It has $\sim \times 2$ in polarization, so the effect grows by $\sim \times 4$.